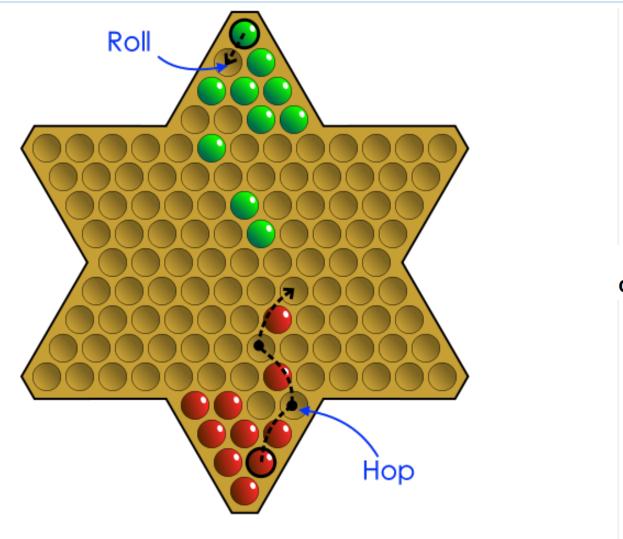
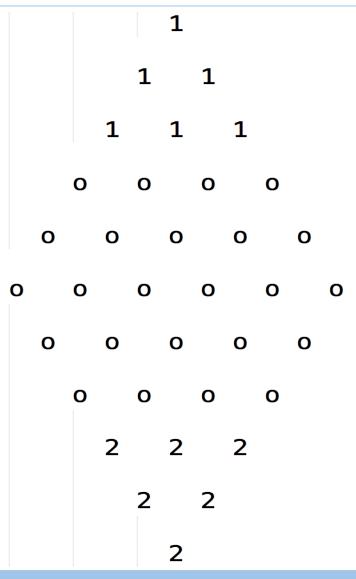


Playing Chinese Checkers with Reinforcement Learning Sijun He, Wenjie Hu, Hao Yin

Abstract

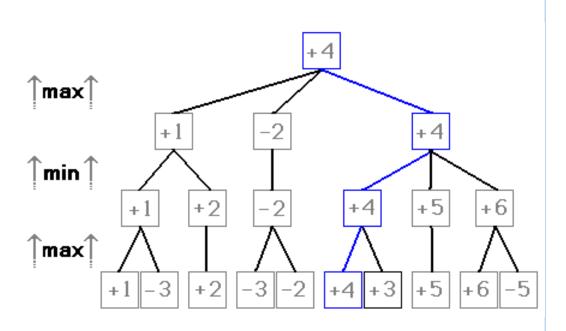
We built an AI for Chinese Checkers using Reinforcement Learning. The value of each board state is determined via minimaxation of a tree of depth k, while the value of each leaf is approximated by weights and features extracted from the board. Weights are tuned via value approximation. The performance of our modified minimax strategy with tuned weights stands out among all the other strategies.





Methodology

implementation is a The AI shallow depth-k minimax game "value" of each leaf The tree. board state is approximated by a linear evaluation function based features of pieces the on positions:



A_i: total distance to the destination corner of player i B_i: total distance to the vertical central line of player i C_i: Sum of vertical advances for all pieces of player i

 $\widetilde{V} = w_1(A_2 - A_1) + w_2(B_2 - B_1) + w_3(C_1 - C_2)$

Challenges & Solutions

Weights Tuning

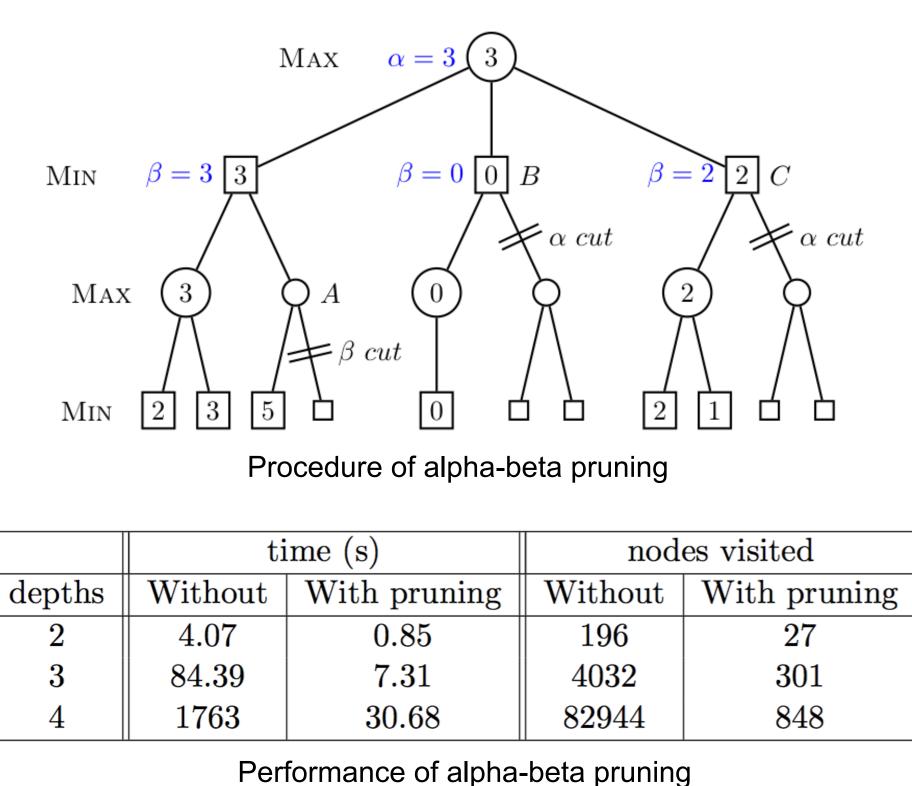
- Idea: to make the raw value consistent with the minimax value.
- Method: value approximation via stochastic gradient descent with diminishing step sizes.

Algorithm 1 Tuning weights

- 1: Initialize a weights \boldsymbol{w} ;
- 2: repeat
- Play one game with both player following 3: Minimax-rule using weights \boldsymbol{w} , record the feature vectors at each turn in a matrix $\boldsymbol{\Phi}$ and the corresponding minimax scores in a vector $\tilde{\boldsymbol{v}}$;
- $\boldsymbol{w}_{new} \leftarrow LeastSquare(\boldsymbol{\Phi}, \tilde{\boldsymbol{v}});$
- $\boldsymbol{w} \leftarrow \boldsymbol{w} + \gamma (\boldsymbol{w}_{new} \boldsymbol{w})$
- 6: **until** converged

Computational requirement

The worst-case time complexity of a minimax tree of depth 4 is approximately 10⁶ without pruning, while with alpha-beta pruning, it can be reduced to approximately 10^3 .

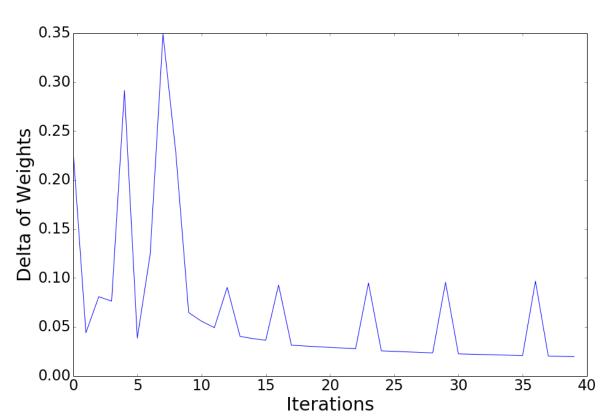


Reference: Bell, George I. 2009. The shortest game of chinese checkers and related problems. Integers 9(1) 17-39.; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games1.pdf; Liang, Percy. 2015b. Lecture 9: Games I. URL http://web.stanford.edu/class/cs221/lectures/games



Results

1. Convergence of weights tuning



1. Benchmarking

We benchmarked the performance of algorithms by simulating 200 games against a random look-ahead greedy algorithm. The result is measured by winning steps, which is the number of steps needed for the losing player to finish the game.

untuned weights, basic strategy tuned weights, basic strategy L<mark>os</mark>e Win of Games Number Winning Steps

1. Effect of weights

1. Effect of search depth

The simulation with search depth 4 is underway on AWS.

1. Effect of modified strategy

